

Problem 7

Proof: Let H and K be point sets and let p be a limit point of $H \cap K$. By definition, that means every open interval containing p contains a point of $H \cap K$ that is different than p . This means any open interval around p contains a point of H and K . Thus, p is a limit point of H and p is a limit point of K . ■