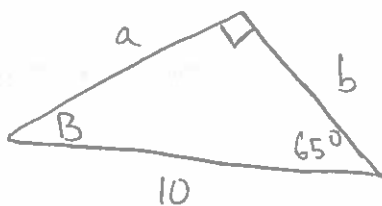


§7.2 #34

Given:



Find a

$$\sin(65^\circ) = \frac{a}{10}$$

↓ mult by 10

$$a = 10 \sin(65^\circ)$$

Find b

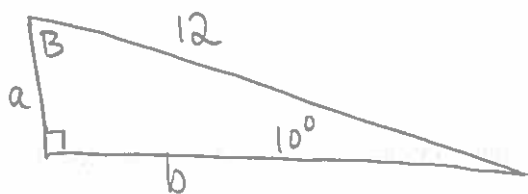
$$\cos(65^\circ) = \frac{b}{10}$$

↓ mult by 10

$$b = 10 \cos(65^\circ)$$

#35

Given:



Find a

$$\sin(10^\circ) = \frac{a}{12}$$

↓ mult by 12

$$a = 12 \sin(10^\circ)$$

Find b

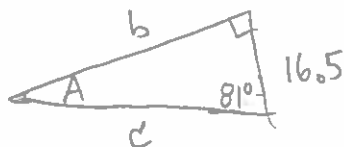
$$\cos(10^\circ) = \frac{b}{12}$$

↓ mult. by 12

$$b = 12 \cos(10^\circ)$$

#36

Given:



Find b

$$\tan(81^\circ) = \frac{b}{16.5}$$

↓ multiply by 16.5

$$b = 16.5 \tan(81^\circ)$$

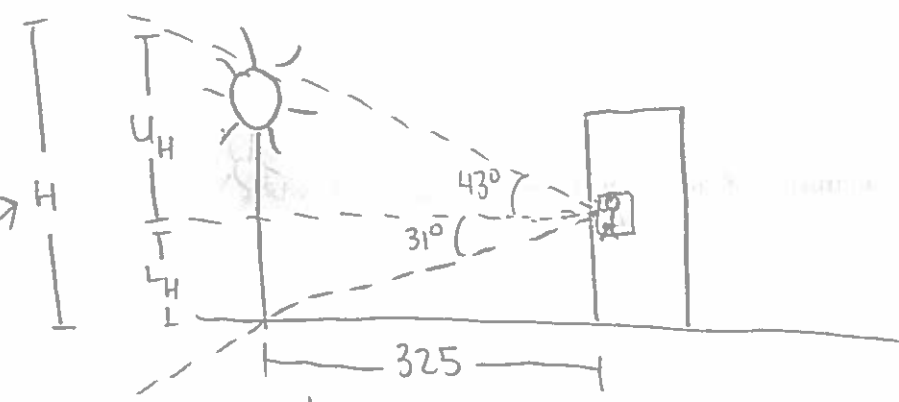
Find c

$$\cos(81^\circ) = \frac{16.5}{c}$$

↓ reciprocal

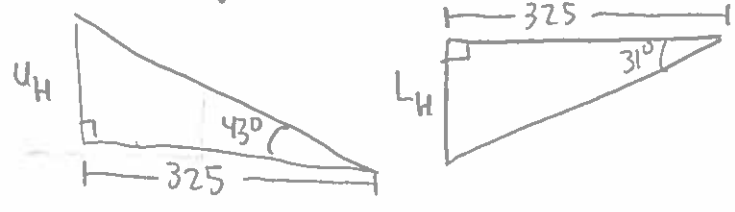
$$\frac{1}{\cos(81^\circ)} = \frac{c}{16.5} \xrightarrow{\text{mult. by 16.5}} c = \frac{16.5}{\cos(81^\circ)}$$

#47



Call the height of the tower H
 Split into U_H
 and L_H as
 drawn

"extract" the triangles



We have from the diagram that $H = U_H + L_H$.

From the first Δ ;

$$\tan(43^\circ) = \frac{U_H}{325}$$

↓

$$U_H = 325 \tan(43^\circ) \approx 303.1$$

From 2nd Δ ;

$$\tan(31^\circ) = \frac{L_H}{325}$$

↓

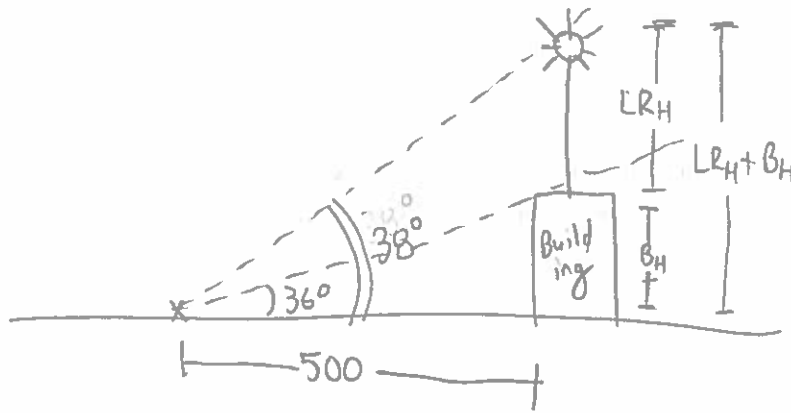
$$L_H = 325 \tan(31^\circ) \approx 195.3$$

So the height of the antenna is

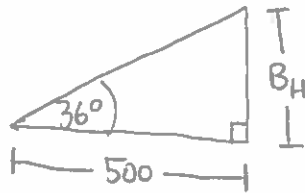
$$H = 303.1 + 195.3 = 498.4 \text{ ft}$$

#51)

3



↓ "extract" the triangles



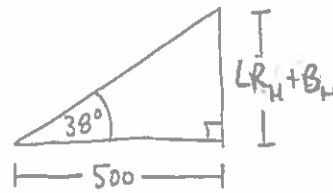
↓ Find B_H

$$\tan(36^\circ) = \frac{B_H}{500}$$

↓

$$B_H = 500 \tan(36^\circ)$$

$$\approx 363.3$$



↓ Find $L_H + B_H$

$$\tan(38^\circ) = \frac{L_H + B_H}{500}$$

↓

$$L_H + B_H = 500 \tan(38^\circ)$$

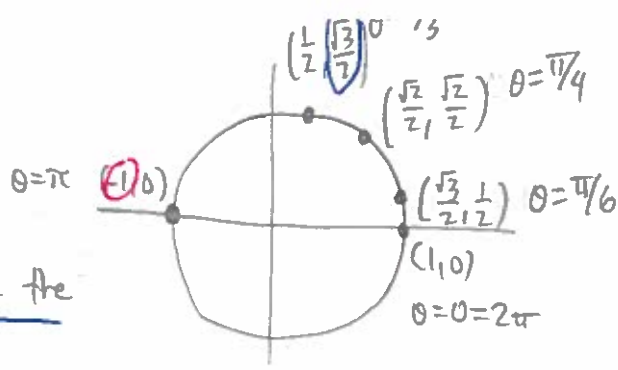
$$\approx 390.6$$

To find the height of the lightning rod — labeled L_{R_H} — we need to subtract the height of the building — labelled B_H — from the total height of both the building and the lightning rod — labeled $L_{R_H} + B_H$:

$$L_{R_H} = (L_{R_H} + B_H) - B_H = 390.6 - 363.3 = 27.3 \text{ feet}$$

§ 7.3

4

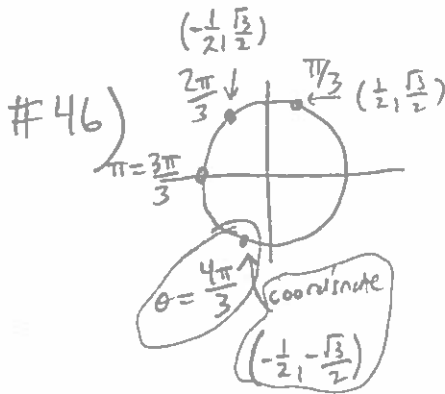


#11) $\sin\left(\frac{\pi}{3}\right) = \underline{\text{2nd coordinate of the point at } \theta = \pi/3}$
 $= \frac{\sqrt{3}}{2}$

#19) $\cos(\pi) = \underline{\text{1st coordinate of the point at } \theta = \pi} = -1$

#29) $\frac{2\pi}{3}$ is in QII, so

ref $\angle = \pi - \frac{2\pi}{3} = \frac{\pi}{3}$



a) reference angle = $\theta - \pi$
 $= \frac{4\pi}{3} - \frac{3\pi}{3}$
 $= \frac{\pi}{3}$

b) quadrant is QIII (\Rightarrow sine is negative and cosine is negative)

c) $\sin\left(\frac{4\pi}{3}\right) = -\sin\left(\frac{\pi}{3}\right) = -\frac{\sqrt{3}}{2}$

$\cos\left(\frac{4\pi}{3}\right) = -\cos\left(\frac{\pi}{3}\right) = -\frac{1}{2}$

(5)

#50) Given: $\cos(t) = \frac{1}{7}$, t in QIV

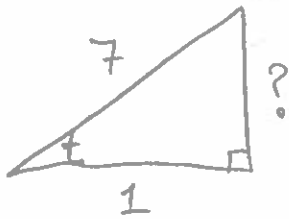
Find: $\sin(t)$



cosine positive,
sine negative

Soln: Draw a Δ to match

" $\cos(t) = \frac{1}{7}$ "
adjacent = 1
hypotenuse = 7
angle = t



find ? w/ Pyth thm
 \Rightarrow

$$1^2 + ?^2 = 7^2$$

$$\downarrow$$
$$?^2 = 48$$

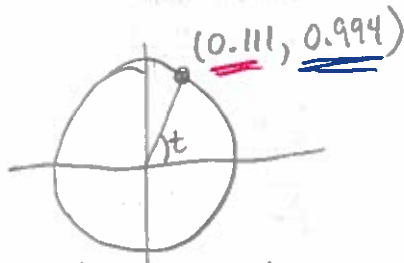
$$\downarrow$$
$$? = \sqrt{48}$$

Now we can find $\sin(t)$:

$$\sin(t) = -\frac{\sqrt{48}}{7}$$

opposite = $\sqrt{48}$
hyp. = 7
negative b/c t is in QIV

#70) Given:



Find: $\sin(t)$ and $\cos t$

Soln: $\sin(t) =$ 2nd coordinate of point at angle $t = 0.994$

$\cos(t) =$ 1st coordinate of point at angle $t = 0.111$

#82) Use calculator to find $\sin\left(\frac{\pi}{10}\right)$

⑥

Soln: Don't forget to make sure in radian mode:

$$\sin\left(\frac{\pi}{10}\right) \approx 0.3090$$

#87) Use calculator to find $\cos(98^\circ)$

Soln: Don't forget to make sure in degree mode:

$$\cos(98^\circ) \approx -0.1391$$